# **Notes on Observational Astronomy**

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Our textbook is Obeservational Astronomy (Birney)

# **1. Locating**

### **1.1. Coordinates**

**Hour angle** the angle between the meridian and the object

#### **1.2. Perform real observations**

- Site's info (**latitude**)
- Target's info (**RA**, **DEC**)
- When to observe your star (**hour angle**)

### **1.3. Correction**

#### **precession**

**proper motion** an example of correcting proper motion

from astropy import units as u from astropy.coordinates import Angle

#### $year = 2023$

# See https://simbad.harvard.edu/simbad/simbasic?Ident=55+cnc pm  $ra = -485.681e-3$ pm\_dec = -233.517e-3  $ra = 3600 * 8 + 52 * 60 + 35.8111044043$  $ra * = 15$ dec =  $3600 * 28 + 19 * 60 + 50.954994470$ 

```
dra = (year - 2000) * pm-raddec = (year - 2000) * pm dec
```

```
dec = Angle((dec + ddec) / 3600, unit=u.deg)ra = Angle((ra + dra) / 3600, unit=u.dea)print(
  "55 Cnc",
ra.to string(unit=u.hour),
 dec.to_string(unit=u.deg),
  "Year",
  year,
  "proper motion corrected",
```
)

## **2. Light**

### **2.1. Convention**



Table 1: The language of light

### **2.2. Magnitude**

**pogson equation** relationship between magnitude and flux (apparent brightness)

$$
m_1 - m_2 = -2.5 \log \left(\frac{F_1}{F_2}\right)
$$
  

$$
m = -2.5 \log(F) + C \tag{1}
$$

$$
\Delta m = -1.086 \frac{\Delta F}{F} \approx -\frac{\Delta F}{F}
$$
 (2)

**monochromatic version of Pogson equation** applying to a range of wavelengths

$$
m_{\lambda} = -2.5 \log(F_{\lambda}) + C_{\lambda} \tag{3}
$$

**bolometeric magnitude** all the electromagnetic radiation is included **bolometeric correction** difference between the bolometeric magnitude and the magnitude in some passband

$$
BC_{band} = m_{bol} - m_{band} \tag{4}
$$

**absolute magnitude** the apparent magnitude of an object if it were 10 parsecs away **distance modulus** the difference between the apparent and absolute magnitude

$$
m - M = 5\log\left(\frac{d}{10}\right) = 5\log(d) - 5\tag{5}
$$

#### **apparent distance modulus**  $A_\lambda$  is the absorption in magnitudes at wavelength  $\lambda$ or in a passband

$$
(m-M)_{\lambda}=(m-M)_{0}+A_{\lambda}\qquad \qquad (6)
$$

#### **absolute bolometeric magnitude** the

luminosity of a source in terms of Sun's luminosity

$$
M_{\rm bol} = 4.74 - 2.5 \log\left(\frac{L}{L_{\rm sun}}\right) \eqno(7)
$$

**surface brightness** the total magnitude

corresponding to the average flux in one  $\arccsc^2$ 

$$
\mu = m + 2.5 \log(\Omega) \tag{8}
$$

where *m* is the magnitude and  $\Omega$  is the solid angle of the source in units of  $\arccos 2$ . **color index** the difference between the

magnitudes of an object in two passbands **magnitude zeros** a reference point for the magnitude scale

#### **2.3. Filters**



Figure 1: Photometric filters



Figure 2: Atmospheric electromagnetic opacity

### **2.4. Flux**

**energy flux** amount of light energy per unit in a given bandpass

$$
F = \frac{E_{\text{band}}}{\text{d}A \,\text{d}t} \text{ in unit of W cm}^{-2} \tag{9}
$$

**monochromatic flux** energy flux in a single wavelength or frequency

$$
F_{\lambda} = \frac{E_{\lambda}}{dA dt d\lambda} \text{ in unit of erg s}^{-1} \text{ cm}^{-2} \text{\AA}^{-1}
$$

$$
F_{\nu} = \frac{E_{\nu}}{dA dt d\nu} \text{ in unit of erg s}^{-1} \text{ cm}^{-2} \text{Hz}^{-1}
$$

$$
\nu F_{\nu} = \lambda F_{\lambda} \tag{10}
$$

#### **2.5. Blackbody**

**Wien's displacement law** as the

temperature increases, the peak of the blackbody spectrum shifts to shorter wavelengths



Figure 3: Blackbody radiation

### **3. Stars**

**OBAFGKM** the spectral classification in descending effective temperature

**Surface Temperature (K)** 20,000 10,000 8000 6000 5000 4  $10<sup>6</sup>$ **Hypergiants (Cla**  $10<sup>4</sup>$ **Rright Giante**  $10<sup>7</sup>$ ubgiants (Cla Main Sequence hit<sub>e Dv</sub>  $10^{-4}$ .<br>Ire

Figure 4: Stellar classification

<b>STELLAR CLASSIFICATION (MAIN-SEQUENCE)</b>						
<b>SPECTRUM</b> 650 nm 400 nm	<b>CLASS COLOR</b>		TEMP. (C <sup>o</sup> )	<b>HYDROGEN</b>		SIZE(SOLAR R) % OF ALL
- Hydrogen -	0		>30,000	<b>WEAK</b>	>6.6	$~^{\sim}$ 0.00003%
Helium -	B		$9,700 - 30,000$	MEDIUM	$1.8 - 6.6$	0.13%
Helium $Corbon$ $\longrightarrow$	A		7,200 - 9,700	<b>STRONG</b>	$1.4 - 1.8$	0.6%
ىب Calcium -Iron-	F		$5,700 - 7,200$	MEDIUM	$1.1 - 1.4$	3%
Sodium - Magnesium - Cxygen lron	G		4,900 - 5,700	<b>WEAK</b>	$.9 - 1.1$	7.6%
$\frac{1}{2}$ Oxygen	K		$3,400 - 4,900$	<b>VERY WEAK</b>	$.7 - .9$	12.1%
	M		$2,100 - 3,400$	<b>VERY WEAK</b>	< 7	76.5%
<b>Many molecules</b>						

Figure 5: Stellar spectrum

# **4. Observations**

#### **4.1. Distance**

**parallax** the apparent shift in the position of a nearby star relative to the background

$$
d = \frac{1}{p} \tag{12}
$$

 $p$  is measured in arcsec and  $d$  in pc.

$$
1pc = 3.2615637769 \text{ly} \tag{13}
$$



Figure 6: Parallax

**4.2. Size**

$$
L = \mathcal{F}4\pi r^2 \tag{14}
$$

$$
L = 4\pi R^2 \sigma T_{\rm eff}^4 \tag{15}
$$

#### **4.3. Mass Virial theorem**

$$
2K + V = 0
$$
  

$$
2\sum_{i} \frac{1}{2} m_i v_i^2 - \sum \frac{Gm_i m_j}{r_{ij}} = 0
$$
  

$$
\frac{GM}{R} = \sigma^2
$$
 (16)

**4.4. Age**



Figure 7: Comparing ages of clusters

# **5. Telescope**



Refractor

Figure 8: Types of telescopes

Maksutov



Figure 9: Types of focus

#### **5.1. Parameters**

**mount** how the telescope is supported and pointed

- equatorial mount
	- ‣ German
	- ‣ English yoke
	- ‣ English cross-axis
	- $\triangleright$  Fork
- alt-az mount

**image formation** 2 beams of light separated by an angular distance are focused to 2 points

$$
S = F \tan(\theta) \approx F\theta \tag{17}
$$

**plate scale** angular size of the object per unit length on the plate

$$
P_s = \frac{\theta}{S} = \frac{1}{F} \tag{18}
$$

**image scale** how much of the sky in arcsec each and every pixel can see

$$
\frac{206.2648 \times \text{pixel size}_{\text{in }\mu\text{m}}}{F_{\text{in }\text{mm}}} \tag{19}
$$

see also to [explain image scale.](https://www.cloudynights.com/topic/777087-please-explain-image-scalepixel-scale-to-me/)

**limiting magnitude** the magnitude of the

faintest star an average observer is likely to see through the telescope

$$
M_L \approx 2.7 + 5\log(d) \eqno(20)
$$

where  $d$  is the objective lens diameter in millimeter **focal ratio**

$$
R = \frac{F}{D} \text{ as } E \propto \frac{D^2}{F^2} \tag{21}
$$

**field of view**

$$
fov = 2 \arctan\left(\frac{w}{2f}\right)
$$
  
where *w* is the sensor width (22)



Figure 10: Field of view

#### **5.2. Resolution**

**[Ariy disk](https://en.wikipedia.org/wiki/Airy_disk)** The circular aperture has a diffraction pattern described by the Bessel function, whose first zero is at 1.22

$$
\sin \theta = 1.22 \frac{\lambda}{d} \tag{23}
$$

**[Seeing](https://en.wikipedia.org/wiki/Astronomical_seeing)** the degradation of the image of an astronomical object due to turbulence in the atmosphere of Earth that may become visible as blurring, twinkling or variable distortion. The strength of seeing is often characterized by the angular diameter (FWHM) of the long-exposure image of a star (seeing disk) in unit of arcsec.

### **6. CCD**



Figure 11: Single pixel of CCD



Two different principles: CCD vs CMOS

Figure 12: Image formation: CCD vs CMOS

#### **Quantum Efficiency** the fraction of photons that are converted into electrons



#### **ADU** [What is ADU](https://www.cloudynights.com/topic/417383-what-is-adu/)

#### **6.1. Image reduction**

 $reduced =$  $\frac{\text{science} - \text{dark} - \text{bias}}{}$  $\frac{1}{(\text{flat} - \text{dark} - \text{bias})_{\text{normalized}}}$ (24)

#### **6.2. Noise**

#### **SNR** signal to noise ratio





#### **CCD equation**

$$
S_{\text{net}} = (S + B) - B_{\text{estimated}} - D \tag{25}
$$

$$
B_{\text{estimated}} = \frac{n_s}{n_B} B_{\text{total}} \tag{26}
$$

$$
\sigma_B = \frac{n_s^2}{n_B^2} B_{\text{total}} \tag{27}
$$

$$
SNR = \frac{S_{\text{net}}}{\sqrt{S_{\text{total}} + \sigma_B^2 + N_d + n_s N_r^2}} \qquad (28)
$$

 $I$  photon flux photons per second

#### **Howell, Koehn, Bowell, Hoffan equation**

### **7. Spectroscopy [Redshift](https://en.wikipedia.org/wiki/Redshift)**

$$
z = \frac{\lambda_{\rm obs} - \lambda_{\rm emit}}{\lambda_{\rm emit}}\tag{29}
$$

# **8. Concepts and their translations**

中文术语参考[自天文学名词](https://nadc.china-vo.org/astrodict/)



